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## "SIMPLE" COMPOUND INTEREST <br> Comparing Simple Interest to Compound Interest

## The SIMPLE way to calculate COMPOUND INTEREST

- Compound Interest is interest paid on the Principal and it's accumulated interest $\qquad$ .
- The interest is calculated at regular compounding $\qquad$ periods and then added to the principal for the next compounding period.
- Compounding Period: The length of time $\qquad$ for which interest is calculated $\qquad$ before being accumulated.


## EXAMPLE

Calculate the amount of a $\$ 3000$ investment after each year for 5 years at $8 \%$ simple interest.
Graph your results on the grid shown.

| Year | Principal | Interest | Total Amount |
| :---: | :---: | :---: | :--- |
| 1 | 3000 | $3000(0.08)(1)=240$ | 3240 |
| 2 | 3000 | $3000(0.08)(1)=240$ | 3480 |
| 3 | 3000 | 240 | 3720 |
| 4 | 3000 | 240 | 3960 |
| 5 | 3000 | 240 | 4200 |

## Using Simple Interest to Calculate Compound Interest

Next, to calculate the amount of a $\$ 3000$ investment after 5 years at $8 \%$ compounded annually, use the simple interest formula each year on the principal AND previously accumulated interest.
Graph your results on the same grid as above.

| Year | Principal | Interest | Total Amount |
| :---: | :--- | :---: | :--- |
| 1 | 3000 | $3000(0.08)(1)=240$ | 3240 |
| 2 | 3240 | $3240(0.08)(1)=259.20$ | 3499.20 |
| 3 | 3499.20 | $3499.20(0.08)(1)=2799^{44}$ | 3779.14 |
| 4 | 3779.14 | $3779.14(0.08)(1)=302.33$ | 4081.47 |
| 5 | 4081.47 | $4081.47(0.08)(1)=326.52$ | 4407.99 |



How much more is the compounding investment, compared to the simple interest investment?

$$
4407.99-4200=\$ 207.99
$$

$\qquad$
Which type of interest has linear growth? Which type of interest has exponential growth?

- Simple Interest has $\qquad$ linear growth because
- Compound Interest has $\qquad$ exponential growth because


## SUMMARY

At the end of each time interval, the simple interest formula is used to calculate the interest, which is then added to the principal or previous amount.

## EXAMPLE 1

a) $\$ 500$ is invested at $2.4 \%$ interest compounded annually for 3 years. Use the simple interest formula to calculate the total amount after 3 years.

| Year | Principal | Interest | Total Amount |
| :---: | :--- | :--- | :--- |
| 1 | 500 | $500(0.024)(1)=12$ | 512 |
| 2 | 512 | $512(0.024)(1)=12.29$ | 524.29 |
| 3 | 524.29 | $524.29(0.024)(1)=12.58$ | 536.87 |

b) If the interest was not compounded, how would the final amount be different?

$$
\begin{aligned}
I & =P r t \\
& =500(0.024)(3) \\
& =36
\end{aligned}
$$

| Simple | Compound |  |
| ---: | ---: | ---: |
| $\$ 36$ | $\$ 36.87$ | with the <br> wore <br> compound interest |

## EXAMPLE 2

a) Carlene wants to borrow $\$ 7000$ for five years. Compare the growth of this loan at $7 \%$ per year, simple interest, to the same loan at $7 \%$ per year, compounded annually.
Simple $I=P r+$
Interest: $=7000(0.07)(5)$

$$
\begin{aligned}
A & =P+I \\
& =7000+2450 \\
& =9450
\end{aligned}
$$

Compound Interest:

| Year | Principal | Interest | Total Amount |
| :--- | :--- | :--- | :--- |
| 1 | 7000 | $7000(0.07)(1)=490$ | 7490 |
| 2 | 7490 | $7490(0.07)(1)=524.30$ | 8014.30 |
| 3 | 8014.30 | $8014.30(0.07)(1)=561.00$ | 8575.30 |
| 4 | 8575.30 | $8575.30(0.07)(1)=600.27$ | 9175.57 |
| 5 | 9175.57 | $9175.57(0.07)(1)=642.29$ | 9817.86 |

